

I. 기술통계량 계산

II. 평균의 계산

Statistics Methods

Method	Description
<code>statistics.harmonic_mean()</code>	Calculates the harmonic mean (central location) of the given data
<code>statistics.mean()</code>	Calculates the mean (average) of the given data
<code>statistics.median()</code>	Calculates the median (middle value) of the given data
<code>statistics.median_grouped()</code>	Calculates the median of grouped continuous data
<code>statistics.median_high()</code>	Calculates the high median of the given data
<code>statistics.median_low()</code>	Calculates the low median of the given data
<code>statistics.mode()</code>	Calculates the mode (central tendency) of the given numeric or nominal data
<code>statistics.pstdev()</code>	Calculates the standard deviation from an entire population
<code>statistics.stdev()</code>	Calculates the standard deviation from a sample of data
<code>statistics.pvariance()</code>	Calculates the variance of an entire population
<code>statistics.variance()</code>	Calculates the variance from a sample of data

1. 자료의 중심

- 평균(산술평균) : mean 함수를 이용하여 계산
- 중위수 : median 함수를 이용하여 계산
- 최빈값 : mode 함수를 이용하여 계산

b1-ch3-9.py

```
import numpy as np
import pandas as pd

ch2_1 = np.genfromtxt("http://kanggc.ip time.org/book/data/ch2_1.txt")
ch2_1
print("Data of ch2_1 is : ",f'\n{ch2_1}\n')

ch2_1_p = pd.Series(ch2_1.flatten())
ch2_1_p
print("Data of ch2_1_p is : ",f'\n{ch2_1_p}\n')

import statistics # statistics package를 이용
m_ch2_1 = statistics.mean(ch2_1_p)
me_ch2_1 = statistics.median(ch2_1_p)
mo_ch2_1 = statistics.mode(ch2_1_p)
var_ch2_1 = statistics.variance(ch2_1_p)
sd_ch2_1 = statistics.stdev(ch2_1_p)
ch2_1_p.describe()

print("Mean of ch2_1 is :", m_ch2_1)
print("Median of ch2_1 is :", me_ch2_1)
print("Mode of ch2_1 is :", mo_ch2_1)
```

```
Mean of ch2_1 is : 64.76
Median of ch2_1 is : 65.0
Mode of ch2_1 is : 85.0
```

2. 자료의 변화량 및 요약통계량 및 히스토그램

- 분산 : var 함수를 이용하여 계산 또는 편차 및 변동을 먼저 구하고 변동을 자유도(=자료 -1)로 나눔
- 표준편차 : sd 함수를 이용하여 계산

b1-ch3-9.py

(앞에서 계속)

```
print("Variance of ch2_1 is :", var_ch2_1)
print("Standard Deviation of ch2_1 is :", sd_ch2_1)
print("Summary Statistics of ch2_1_p is :", f'\n{ch2_1_p.describe()}\n')
```

import seaborn as sns # seaborn package를 이용

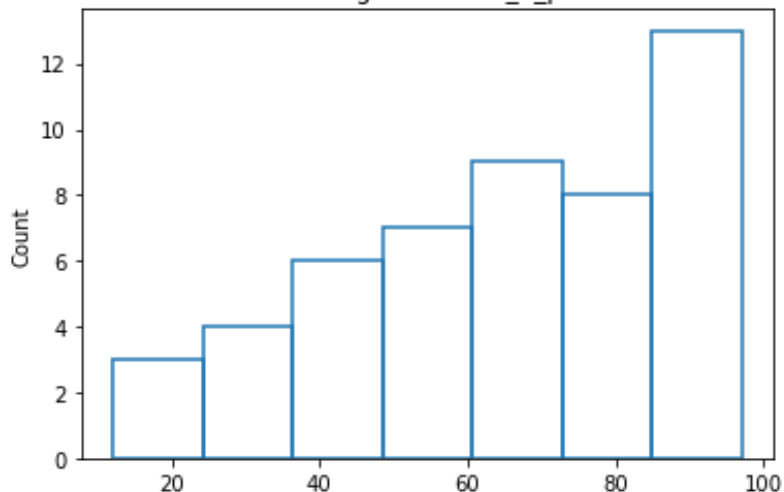
sns.histplot(ch2_1_p, fill=False).set(title='Histogram of ch2_1_p')

```
Variance of ch2_1 is : 490.88
Standard Deviation of ch2_1 is : 22.155811878601966
```

```
Summary Statistics of ch2_1_p is :
count    50.000000
mean     64.760000
std      22.155812
min      12.000000
25%      48.250000
50%      65.000000
75%      84.500000
max      97.000000
```

3. 히스토그램

Histogram of ch2_1_p



1. 산술평균

- 산술평균 : mean 함수를 이용하여 계산

2. 조화평균(harmonic mean : H)

$$\frac{1}{H} = \frac{1}{n} \left(\frac{1}{X_1} + \frac{1}{X_2} + \dots + \frac{1}{X_n} \right) = \frac{\sum_{i=1}^n \frac{1}{X_i}}{n}$$

- 일반적으로 역수의 형태로 된 변수를 평균할 경우 사용
- n개의 양수인 변수의 조화평균은 그 변수의 역수를 산술평균한 것의 역수
- (예) 자동차가 처음 10km를 시속 30km로 달리고, 다음 10km를 시속 60km로 달렸을 경우 평균시속은?



- 산술평균 : $\frac{1}{2}(30 + 60) = 45km/h$
- 조화평균 : $\frac{2}{\frac{1}{30} + \frac{1}{60}} = 40km/h$
- 20km를 가는데 30분이 소요되는데 평균시속이 45km/h이면 20km를 가는데 30분이 소요되지 않고, 40km/h이면 30분이 소요됨

3. 기하평균(geometric mean : G)

$$G = \sqrt[n]{X_1 X_2 \dots X_n}$$

- 여러 개의 수를 연속으로 곱해 그 개수의 거듭제곱근으로 구한 수
- 비율을 평균하는 경우에 적합하며, 연평균 인구증가율이나 연평균 경제성장률을 구할 때 활용
- 최초년도와 최종년도의 데이터만 있으면 연평균 증가율 계산이 가능

연도	인구	전년대비비율(%)	$\bar{X} \times$ 전년도인구	$G \times$ 전년도인구
2014	5000	-	-	-
2015	6000	120	6133	6128
2016	7800	130	7523	7510
2017	9204	118	9228	9204
-	-	-	$\bar{X}=122.67$	$G=122.56$

$$G = \left(\left(\frac{\text{최종년도의 값}}{\text{최초년도의 값}} \right)^{(1/n)} - 1 \right) \times 100, \text{ n은 경과년도}$$

b1-ch3-10.py

```

statistics as s
import statistics
import math
x = [10, 2, 19, 24, 6, 23, 47, 24, 54, 77]
x
print("x list is : ", f'\n{x}\n')
xi = [1/10, 1/2, 1/19, 1/24, 1/6, 1/23, 1/47, 1/24
, 1/54, 1/77]
print("1/x list is : ", f'\n{xi}\n')
xg = math.prod(x)
print("Product of x is :", xg)

mean_x = sum(x)/len(x)
print("Mean is :", mean_x)
harmonic_x = (1/(sum(xi)/len(xi)))
print("Harmonic Mean is :", harmonic_x)
geometric_x = xg**(1/len(x))
print("Geometric Mean is :", geometric_x)

x_m = statistics.mean(x)
x_h = statistics.harmonic_mean(x)
x_g = statistics.geometric_mean(x)

print("Mean of x is :", x_m)
print("Harmonic Mean of x is :", x_h)
print("Geometric Mean of x is :", x_g)

```

Mean is : 28.6
Harmonic Mean is : 10.011092620317164
Geometric Mean is : 18.928088197760175

Mean of x is : 28.6
Harmonic Mean of x is : 10.011092620317163
Geometric Mean of x is : 18.92808819776017

b1-ch3-10.py

(안에서 계속)

```
b = [30, 60]
```

```
b_m = s.mean(b)
```

```
b_h = s.harmonic_mean(b)
```

```
print("Mean of b is :", b_m)
```

```
print("Harmonic Mean of b is :", b_h)
```

```
Mean of b is : 45  
Harmonic Mean of b is : 40.0
```

```
c = [120, 130, 118]
```

```
c_m = s.mean(c)
```

```
c_g = s.geometric_mean(c)
```

```
print("Mean of c is :", c_m)
```

```
print("Geometric Mean of c is :", c_g)
```

```
Mean of c is : 122.66666666666667  
Geometric Mean of c is : 122.55627013624778
```

```
g = ((9204/5000)**(1/3)-1)*100
```

```
print("compound annual growth rate(CAGR) of c is :", g)
```

```
compound annual growth rate(CAGR) of c is : 22.556270136247768
```